

$\log[L^*_{\text{TUBJND}}]$ lightness L^*_{TUBJND}

$$L^*_{\text{TUBJND}} = (t/a) \ln(1 + a \cdot Y)$$

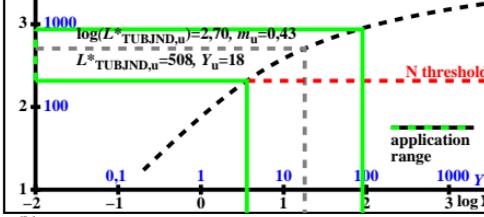
$$L^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

[1a]

[2a]

[3a]



$\log[L^*_{\text{TUBJND},u}]$ relative lightness normalized to the background lightness $L^*_{\text{TUBJND},u}$

$$100^*_{\text{TUBJND}} = (t/a) \ln(1 + a \cdot Y)$$

$$100^*/L^*_{\text{u}} = \ln(1 + a \cdot Y) / \ln(1 + a \cdot Y_u)$$

$$100^*/L^*_{\text{u}} = \ln[1 + b \cdot (Y/Y_u)] / \ln(1 + b)$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

[1b]

[2b]

[3b]

[4b]

$\log[\Delta Y]$ ΔY_{TUBJND} tristimulus-value difference

$$L^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$dY = (A_1 + A_2 \cdot Y)/A_0, \text{ see CIE 230; Eq. (A.7a)}$$

$$dY = (s + q \cdot Y) / c, \text{ see Richter (1985)}$$

$$dY = (1 + a \cdot Y) / t = (1 + b \cdot (Y/Y_u)) / t$$

$$A_1=s=0,0170 \quad A_2=q=0,0058 \quad A_0=c=1,5$$

[1c]

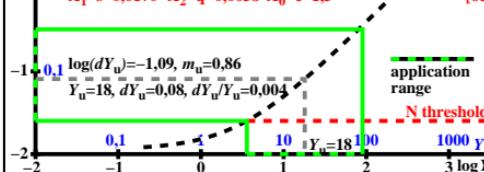
[2c]

[3c]

[4c]

[5c]

[6c]



$\log[\Delta Y/\Delta Y_u]$ ΔY_{TUBJND} tristimulus-value difference normalized to $\Delta Y_{\text{TUBJND},u}$

$$100^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$dY/dY_u = (1 + a \cdot Y) / (1 + a \cdot Y_u)$$

$$dY/dY_u = (1 + b \cdot (Y/Y_u)) / (1 + b)$$

[1d]

[2d]

[3d]

[4d]

$\log[\Delta Y/Y]$ Y_{TUBJND} sensitivity

$$L^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

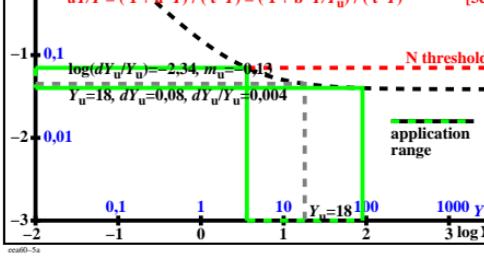
$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$dY/Y = (1 + a \cdot Y) / (t \cdot Y) = (1 + b \cdot Y/Y_u) / (t \cdot Y)$$

[1e]

[2e]

[3e]



$\log[(\Delta Y/Y) / (\Delta Y_u/Y_u)]$ Y_{TUBJND} sensitivity normalized to $[\Delta Y/Y]_{\text{TUBJND},u}$

$$100^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$(dY/Y) / (dY_u/Y_u) = [(1 + a \cdot Y) / Y] / [(1 + a \cdot Y_u) / Y_u]$$

$$(dY/Y) / (dY_u/Y_u) = [(1 + b \cdot Y/Y_u) / Y] / [(1 + b) / Y_u]$$

[1f]

[2f]

[3f]

[4f]

$\log[Y/\Delta Y]$ Y_{TUBJND} contrast

$$L^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

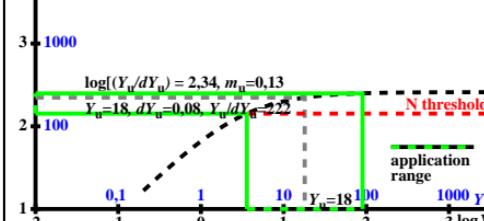
$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$Y/dY = (1 + a \cdot Y) / (t \cdot Y) = (1 + b \cdot Y/Y_u) / (t \cdot Y)$$

[1g]

[2g]

[3g]



$\log[(Y/\Delta Y) / (Y_u/\Delta Y_u)]$ Y_{TUBJND} contrast normalized to $[Y/\Delta Y]_{\text{TUBJND},u}$

$$100^*_{\text{TUBJND}} = (t/a) \ln[1 + b \cdot (Y/Y_u)]$$

$$a=0,3411 \quad t=88,23 \quad t/a=258,6 \quad b=6,141 \quad Y_u=18$$

$$(Y/dY) / (Y_u/dY_u) = [Y / (1 + a \cdot Y)] / [Y_u / (1 + a \cdot Y_u)]$$

$$(Y/dY) / (Y_u/dY_u) = [Y / (1 + b \cdot Y/Y_u)] / [Y_u / (1 + b)]$$

[1h]

[2h]

[3h]

[4h]