

higher colour metric (color data: nonlinear relation to CIE 1931 data)

nonlinear color terms	name and relationship with tristimulues or chromaticity values	notes
lightness	$L^*_1 = k \log [Y / Y_Z] \quad (L^*_1 = 0 \text{ for } Y = Y_Z)$ <p>If contrast = 25:1 = 90:3,6, then $-40 \leq L^*_1 \leq 40$</p>	LABJND 2019 $k = 40 / \log (5) = 57$
chroma	<p><i>logarithmic transform of tristimulues values XYZ.</i></p>	For grey Z of D65
red–green	$A^*_1 = n_{A^*} [\log (X / X_Z) - \log (Y / Y_Z)]$ <p>If contrast 25:1 = 90:3,6, then $-70 \leq A^*_1 \leq 70$</p>	$X_Z = 95,05 \cdot 0,18$ $Y_Z = 100,00 \cdot 0,18$
yellow–blue	$B^*_1 = n_{B^*} [\log (Y / Y_Z) - \log (Z / Z_Z)]$ <p>If contrast = 25:1 = 90:3,6, then $-28 \leq B^*_1 \leq 28$</p>	$Z_Z = 108,90 \cdot 0,18$ $n_{A^*} = 100, n_{B^*} = -40$
radial	$C^*_{AB,1} = [A^{*2}_1 + B^{*2}_1]^{1/2}$	(background)
chromaticity	<p><i>nonlinear chromaticities, if XYZ are normalized to 100.</i></p>	<p><i>compare to log cone excitation</i></p>
red–green	$a^*_1 = \log [X / Y] = \log [x / y]$	$\log [L / L_Z]$
yellow–blue	$b^*_1 = \log [Z / Y] = \log [z / y]$	$\log [M / (M_Z)]$ $\log [S / (S_Z)]$
radial	$c^*_{AB,1} = [(a^*_1 - a^*_{Z1})^2 + (b^*_1 - b^*_{Z1})^2]^{1/2}$	